



exact
solution



exact
solution



valid in
many
spacetimes



exact
solution



valid in
many
spacetimes



no need
for
particles



exact
solution



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many
spacetimes



no need
for
particles



arbitrary
motions



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solution



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many
spacetimes



no need
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arbitrary
motions



interactions
in bounded
regions



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interactions
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valid
in many
states



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valid
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states



allows
classical
comms



exact
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states



allows
classical
comms



manifest
causality



exact
solution



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many
spacetimes



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interactions
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regions



valid
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states



allows
classical
comms



manifest
causality



difficult
quantum
comms



exact
solution



valid in
many
spacetimes



no need
for
particles



arbitrary
motions



interactions
in bounded
regions



valid
in many
states



allows
classical
comms



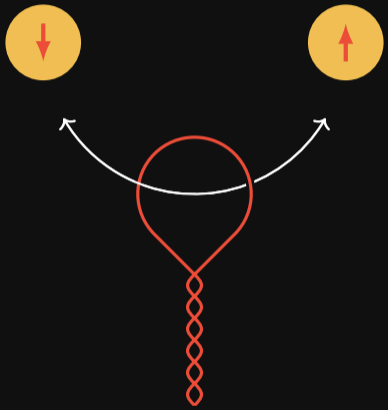
manifest
causality

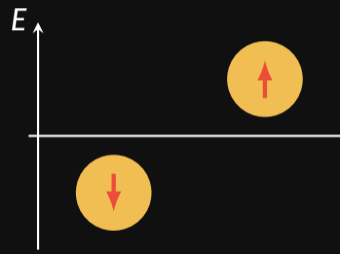
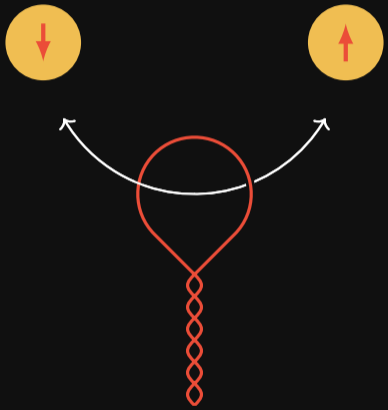


difficult
quantum
comms



not
particle
detectors







simple
quantum
comms



simple
quantum
comms



qubits
can be used as
particle
detectors



simple
quantum
comms



qubits
can be used as
particle
detectors



no
exact
solution



simple
quantum
comms



qubits
can be used as
particle
detectors



no
exact
solution



perturbation theory
in energy gap



simple
quantum
comms



qubits
can be used as
particle
detectors



no
exact
solution



perturbation theory
in energy gap



renormalization group
improvement

Nonperturbative Renormalization Group Flow for a Particle Detector

Nonperturbative Renormalization Group Flow for a Particle Detector

Níckolas de Aguiar Alves

Nonperturbative Renormalization Group Flow for a Particle Detector

Níckolas de Aguiar Alves
Federal University of ABC

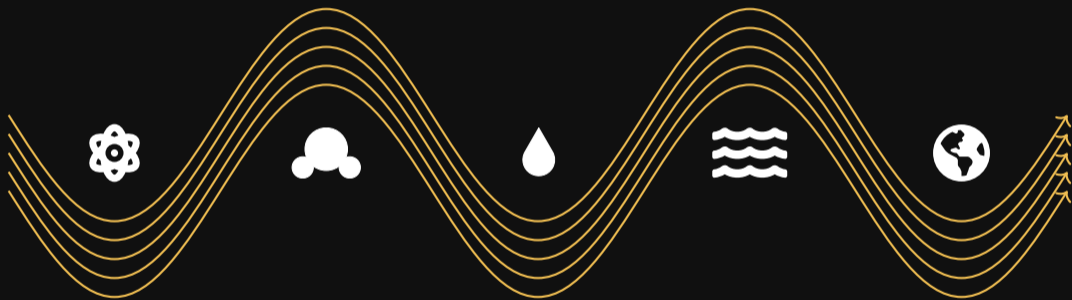


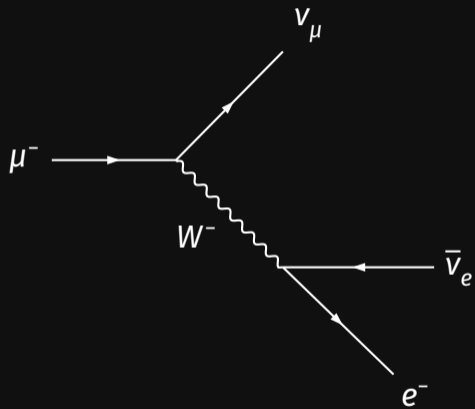
Nonperturbative Renormalization Group Flow for a Particle Detector

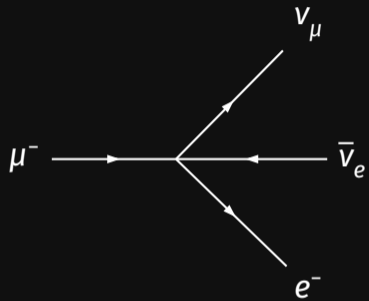
Níckolas de Aguiar Alves
Federal University of ABC









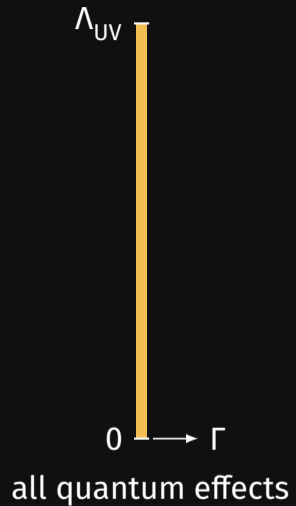


Λ_{UV}

0

Λ_{UV}

0





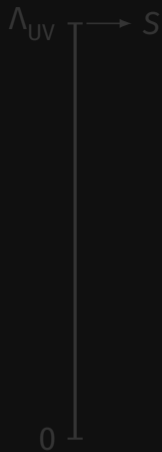
all quantum effects



no quantum effects



all quantum effects



no quantum effects



all quantum effects



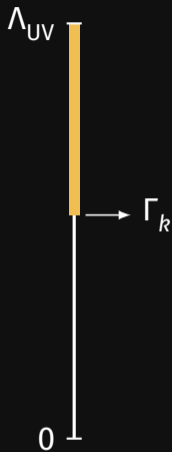
no quantum effects



all quantum effects



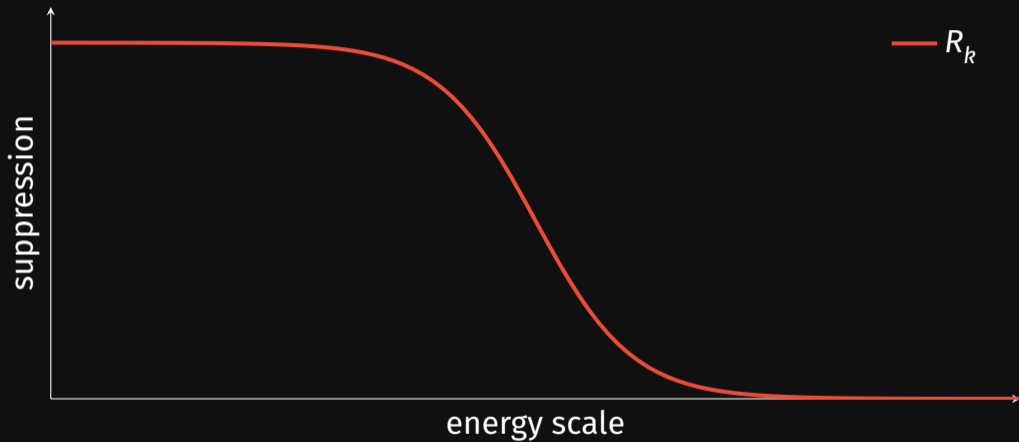
no quantum effects

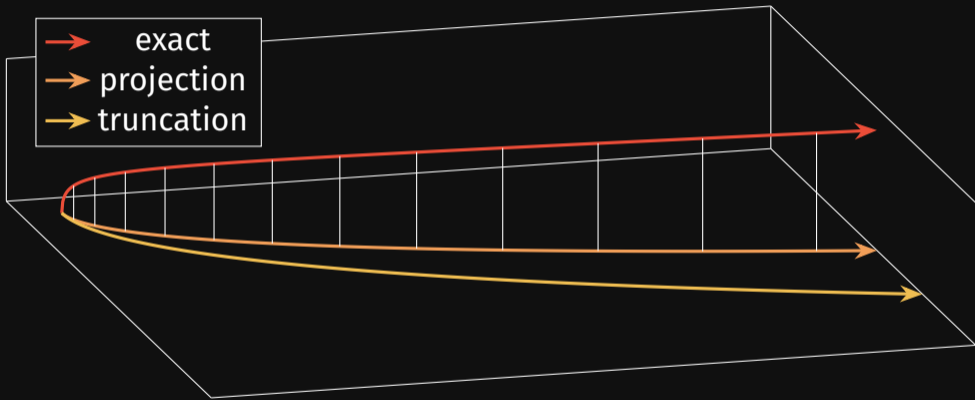


some quantum effects

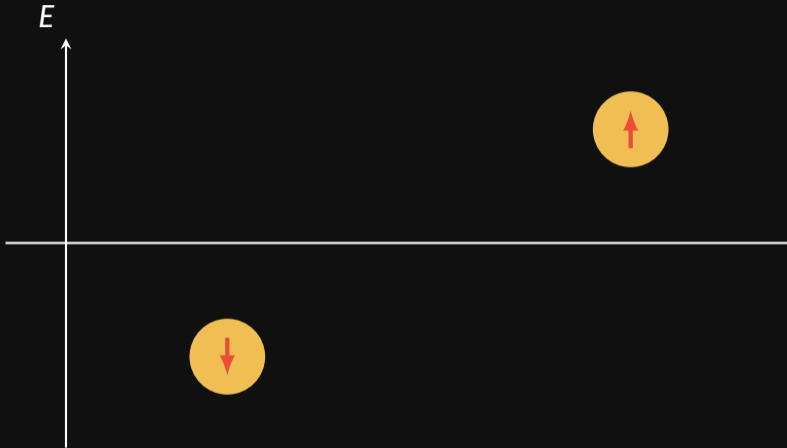


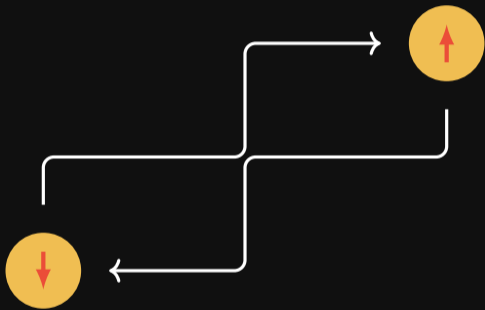
all quantum effects

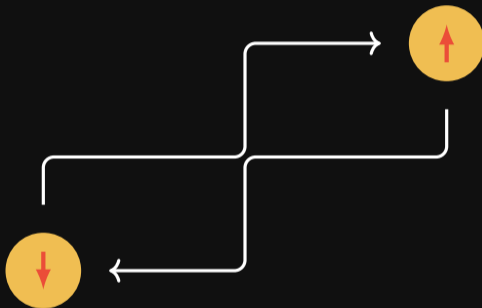




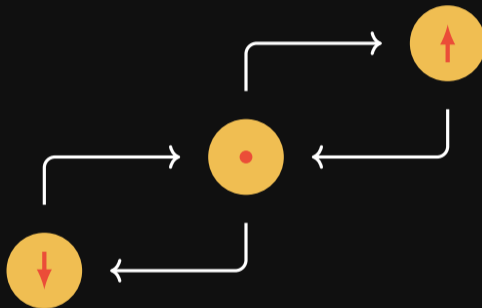
what is a good ansatz for Γ_k ?







can't deal
with field
coupling



$$\Gamma_k =$$

$$\Gamma_k = \text{---} \text{---} \text{---} \text{---} \text{---} \text{---}$$


A Feynman diagram representing a self-energy correction to a propagator. It consists of a horizontal wavy line with a red circle attached to its center, representing a loop correction. The diagram is preceded by an equals sign and the symbol Γ_k .

$$\Gamma_k = \text{---} \circ \text{---} + \text{---} \times \text{---}$$

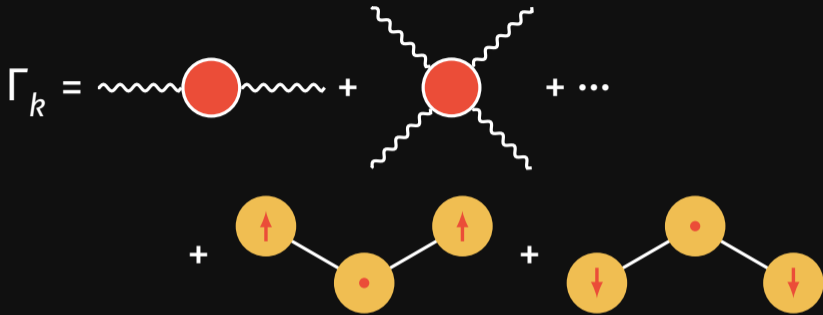
The diagram shows the definition of the two-point function Γ_k . It is equal to the sum of two terms. The first term is a red circle with two wavy lines extending horizontally from its left and right sides. The second term is a red circle with four wavy lines extending outwards from its corners, forming an 'X' shape.

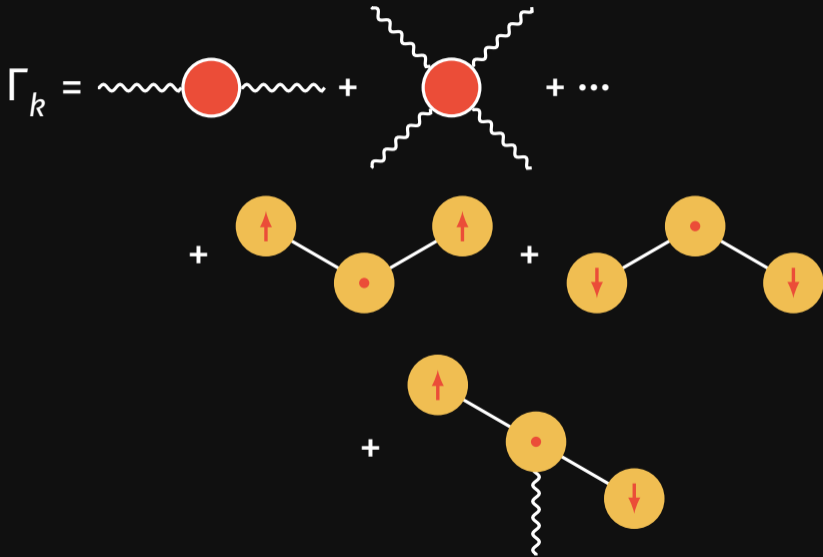
$$\Gamma_k = \text{---} \circ \text{---} + \text{---} \times \text{---} + \dots$$

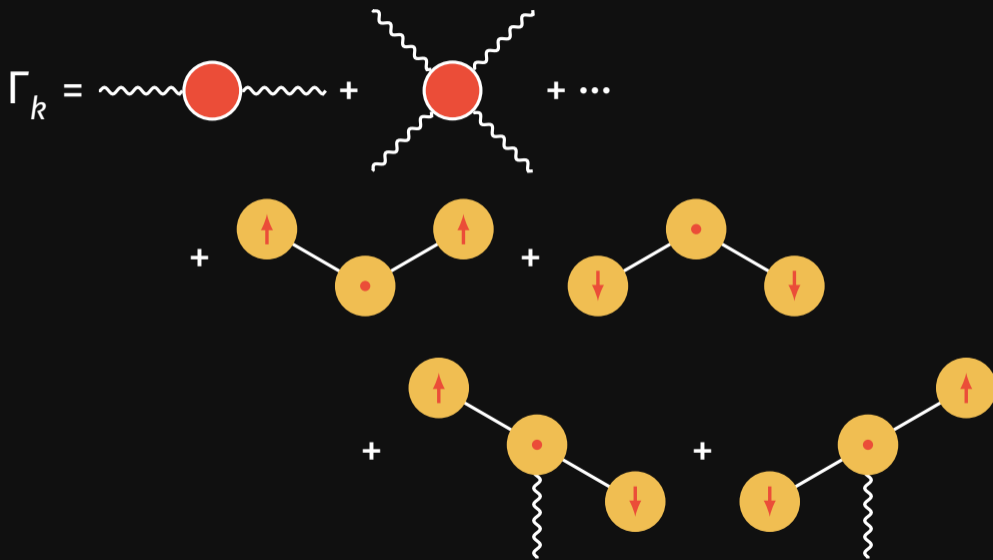
The diagram shows the expansion of the two-point function Γ_k . It consists of three terms separated by plus signs. The first term is a red circle with two wavy lines extending horizontally from its left and right sides. The second term is a red circle with four wavy lines extending outwards from its top, bottom, left, and right sides. The third term is an ellipsis (\dots).

$$\Gamma_k = \text{[Diagram 1]} + \text{[Diagram 2]} + \dots$$

+ [Diagram 3]



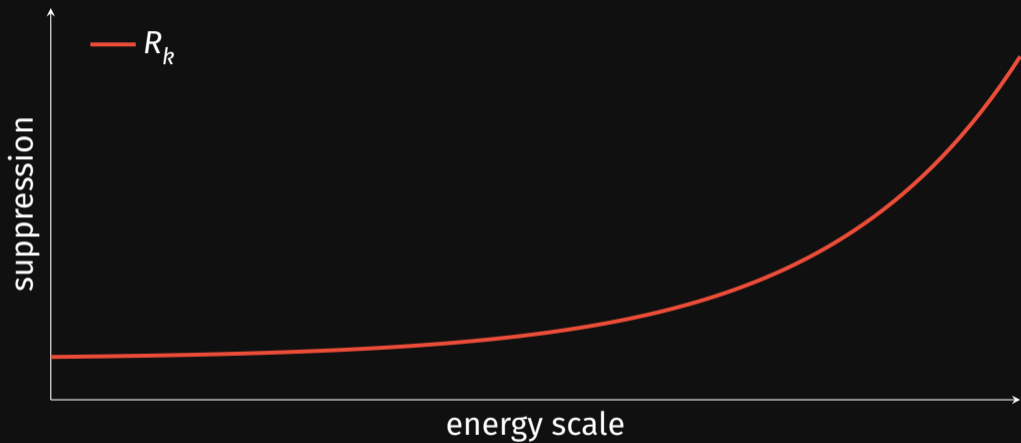




what is a good ansatz for R_k ?









hard to
interpret

Γ_k



hard to
interpret

Γ_k



possible to
recover

Γ

$\Gamma_{k'}, R_k$
ansatz

$\Gamma_{k'}, R_k$
ansatz

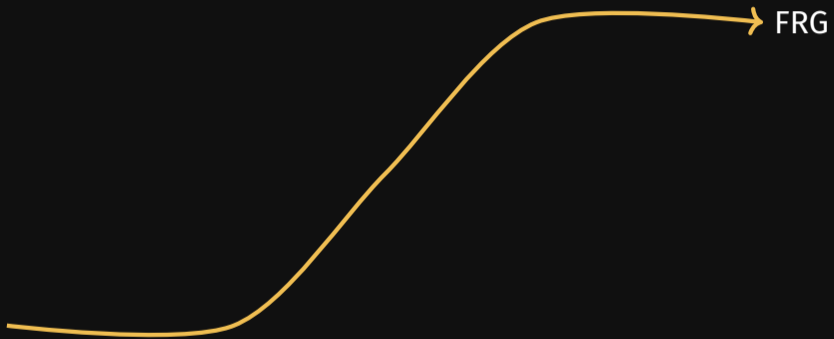
rg flow

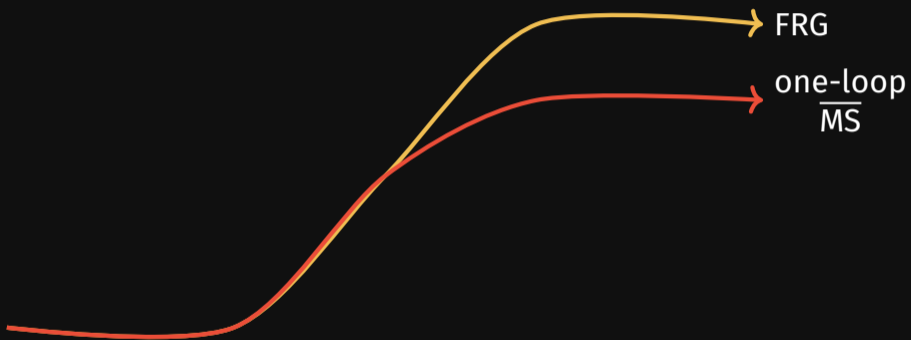
functional
traces

$\Gamma_{k'}, R_k$
ansatz

rg flow







Aristotle

five elements
natural motion

4th century BCE

Aristotle
five elements
natural motion

1915

Einstein
general relativity

4th century BCE

Fermi
weak interactions

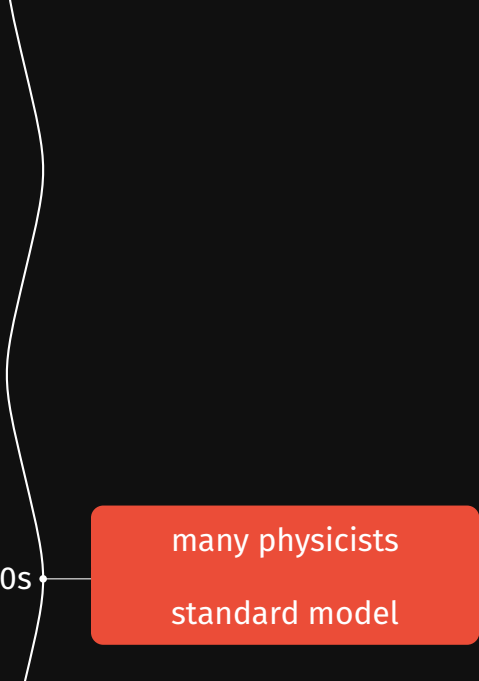
1933-1934

Einstein
general relativity

1915

Aristotle
five elements
natural motion

4th century BCE



1950s–1970s

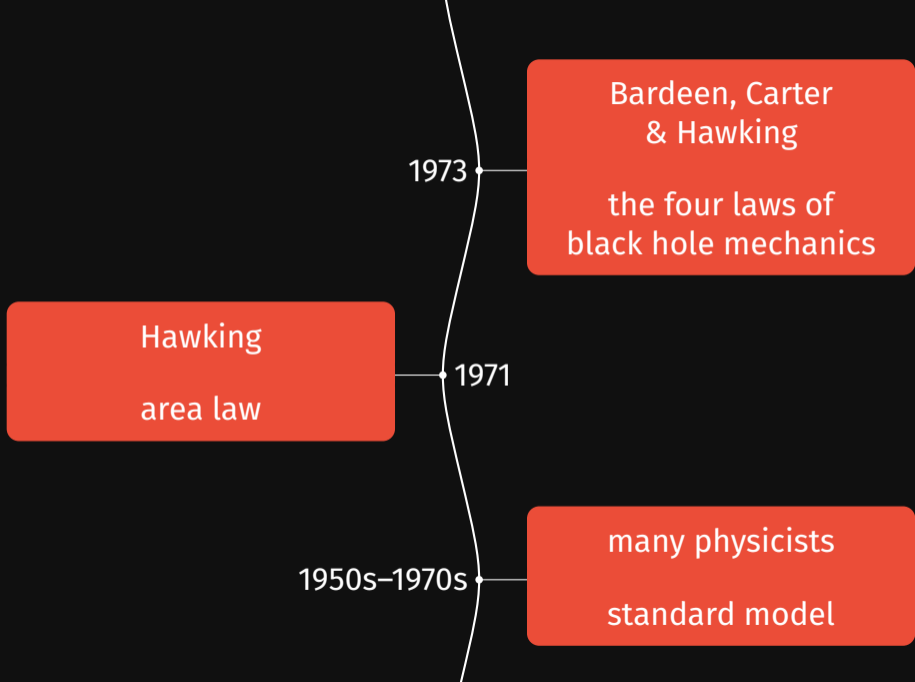
many physicists
standard model

Hawking
area law

1971

1950s-1970s

many physicists
standard model



1993–1994

many physicists
functional
renormalization group

Landulfo
nonperturbative
communication
protocol

2016

1993–1994

many physicists
functional
renormalization group

Burbano,
Perche & Torres

path integral for
a particle detector

2021

Burbano,
Perche & Torres
path integral for
a particle detector

2021–2023

nonperturbative
aspects of qftcs

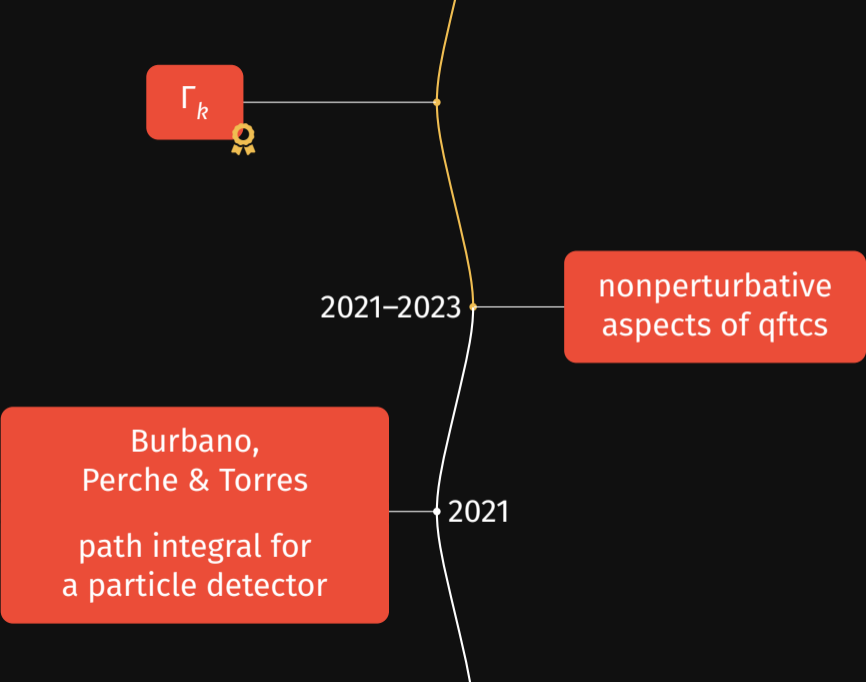
2021

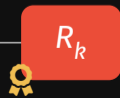
Burbano,
Perche & Torres
path integral for
a particle detector

2021

2021-2023

nonperturbative
aspects of qftcs





compute
functional traces

R_k

compute
functional traces

proposed
FRG flow

R_k



one-loop
analysis

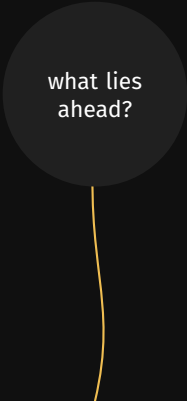


first FRG flow
for a particle detector

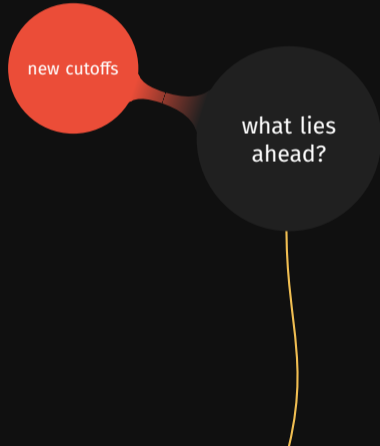
one-loop
analysis

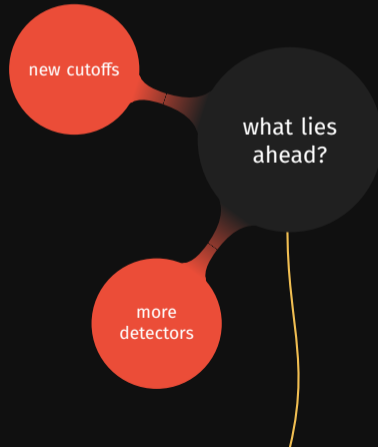


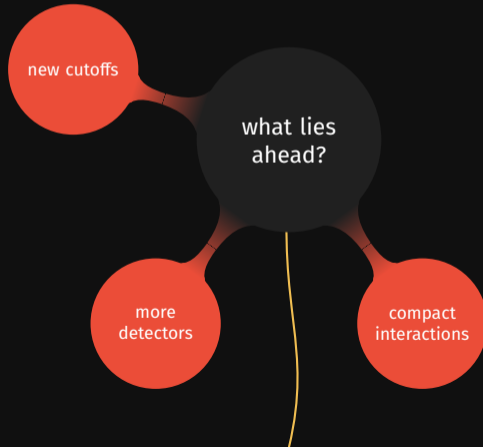
pedagogical
gaps

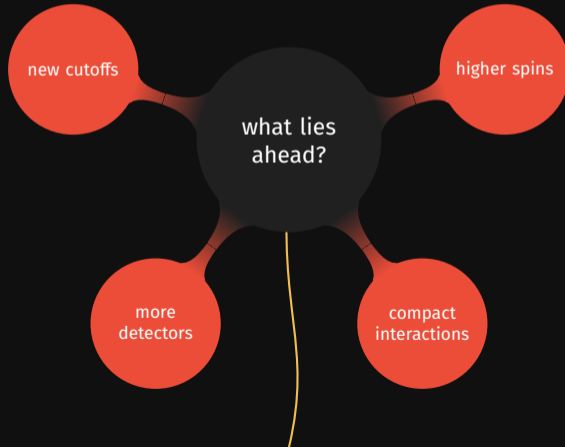


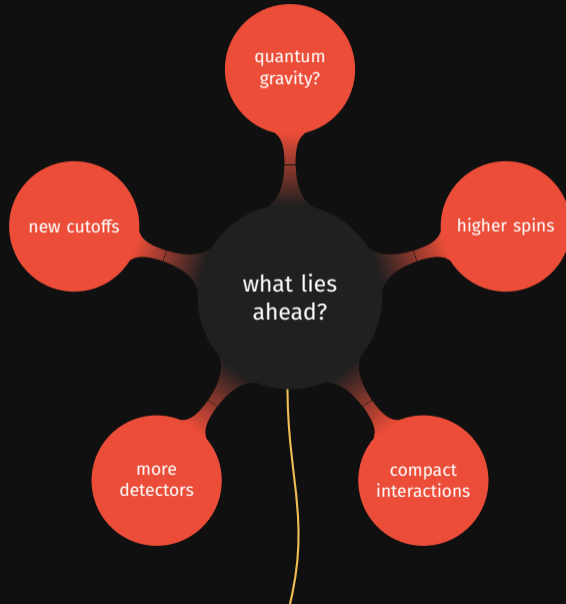
what lies
ahead?

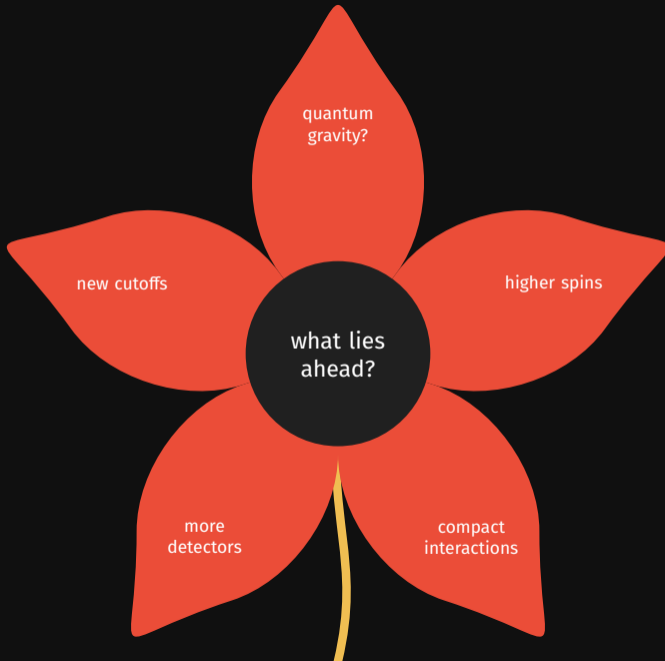












Nonperturbative Renormalization Group Flow
for a Particle Detector

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and Antônio D. Pereira

N.A.A thanks Alex G. Dias and João C. A. Barata
for useful comments

 Universidade Federal do ABC

 CAPES

 FAPESP

